



Is the Black Hole Still There When We Look?

Observing Quantum Gravity in
Extremely Cold Horizons

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THE DYNAMICS OF BH MERGERS AND GW GENERATION

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Based on

Quantum Cross-section of Near-extremal Black Holes

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Quantum Transparency of Near-extremal Black Holes

w/ Stefano Trezzi

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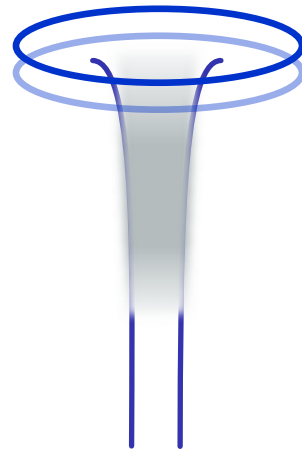
Can we observe large quantum fluctuations of the
spacetime geometry?

This requires a breakdown of semiclassical QFT
in curved space

Typically studied near (naked) singularities

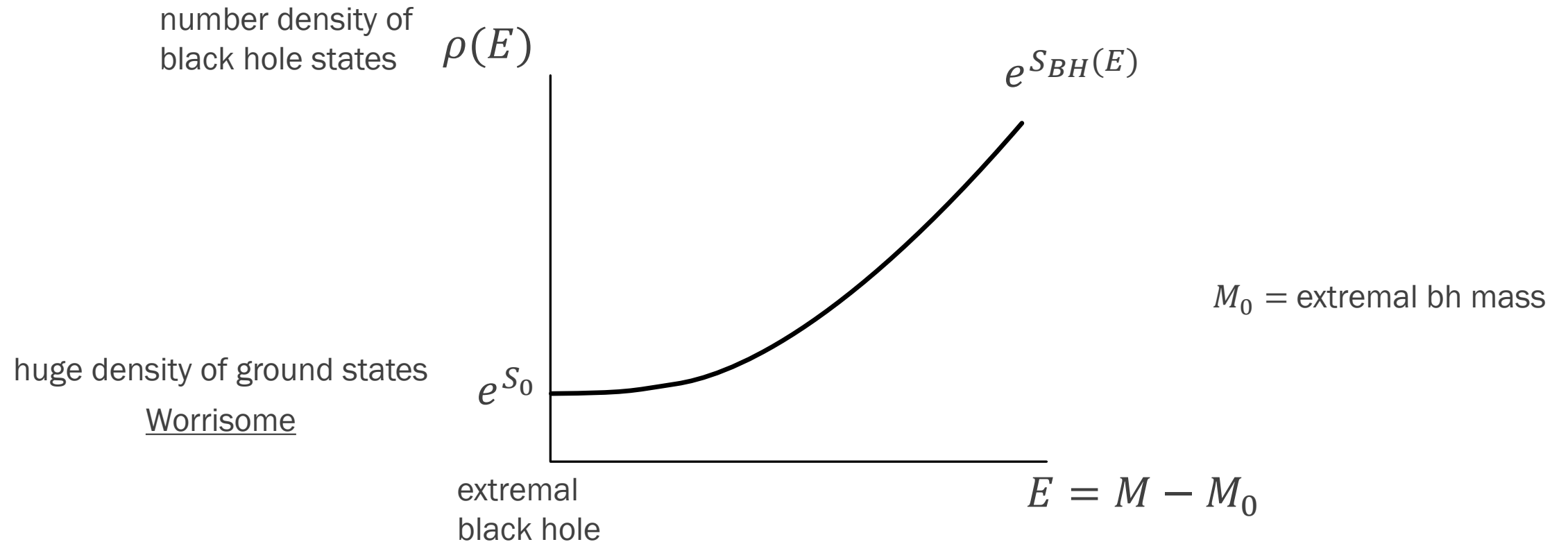
Near extremality, black holes have large but tractable
quantum fluctuations

The length of the throat has large quantum variance



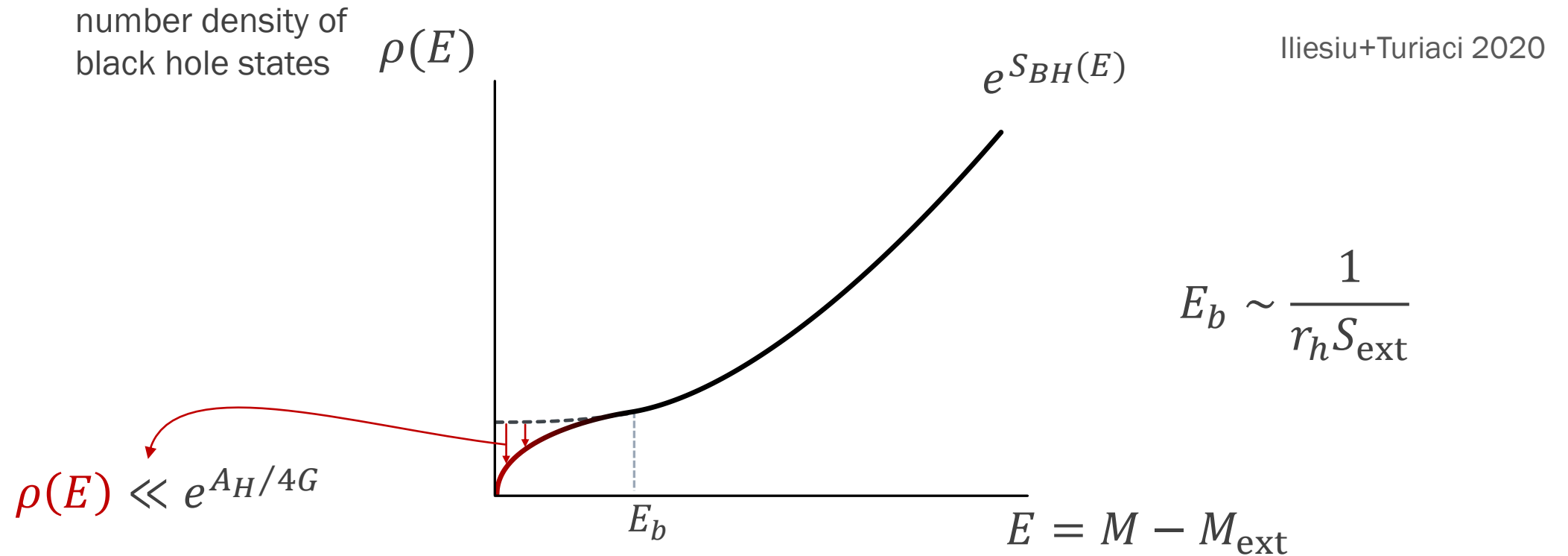
curvature remains small

The spectre of Bekenstein & Hawking



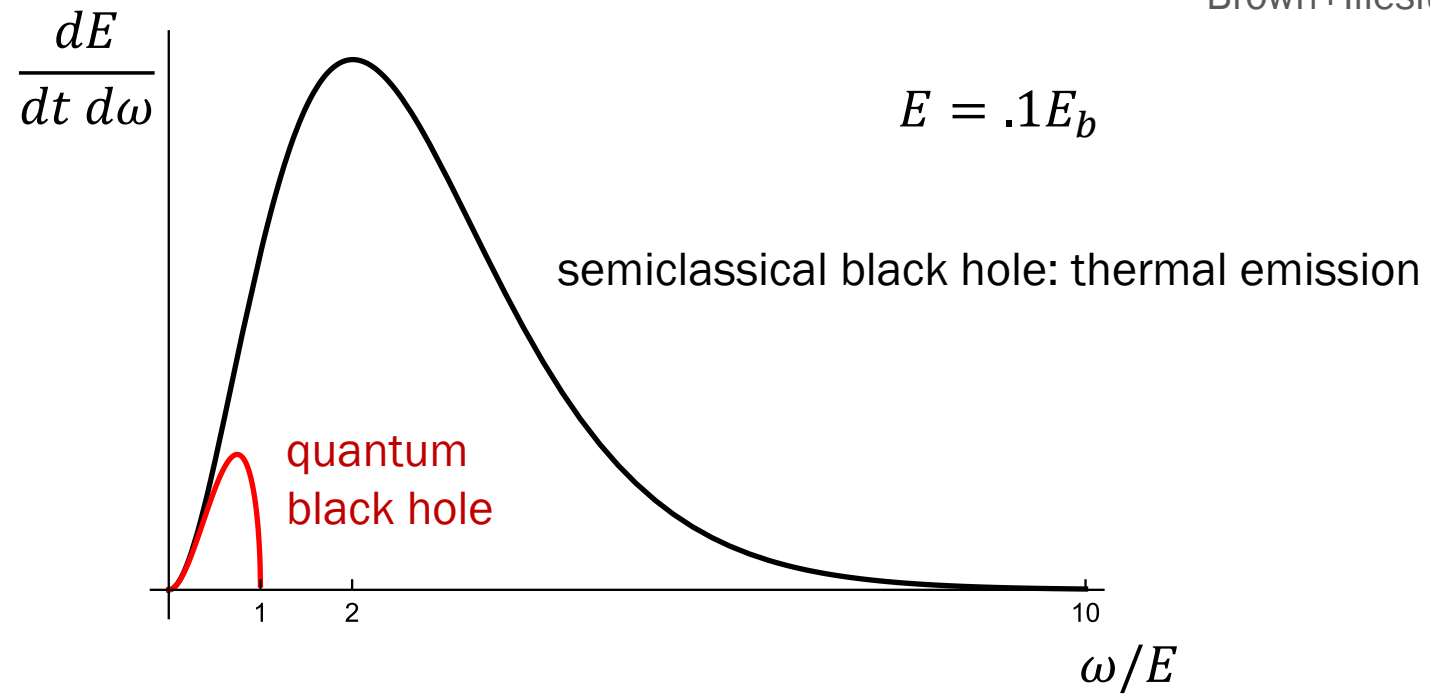
Quantum Black Hole spectrum*

*non-supersymmetric



Hawking emission: suppressed

Brown+Iliesiu+Penington+Usatyuk



Quantum Black Hole: non-thermal emission

A lesson

*The Classical limit $\hbar \rightarrow 0$ of Quantum Gravity, and
the Zero-temperature limit $T \rightarrow 0$ of Black Holes
do not commute*

When $\hbar \neq 0$ (no matter how small), physics at $T \rightarrow 0$ is drastically
different than first $\hbar \rightarrow 0$, then $T \rightarrow 0$

A lesson

The *classical extremal black hole* in GR textbooks is an artifact of the wrong order of limits

How can an external observer probe
this large quantum object?

A reality check

How cold is extremely cold?

A reality check

$$E_b \sim \frac{1}{r_h S_0} \quad \text{wavelength } \lambda_b \sim r_h S_0$$

For any astro-ph black hole $r_h > \text{km}$

Easily $\lambda_b \sim r_h S_0 \sim 10^{83} \text{mm} \sim 10^{54} \text{Hubble radius}$

$$T \sim 10^{-83} K$$

A reality check

Observations would require $\sim 10^{64}$ years,
which is impractical

Observing this large quantum object

*A fundamental question of principle,
examined through thought experiments*

Shining light on the Black Hole

Send a wave to the black hole

Measure the absorption cross-section

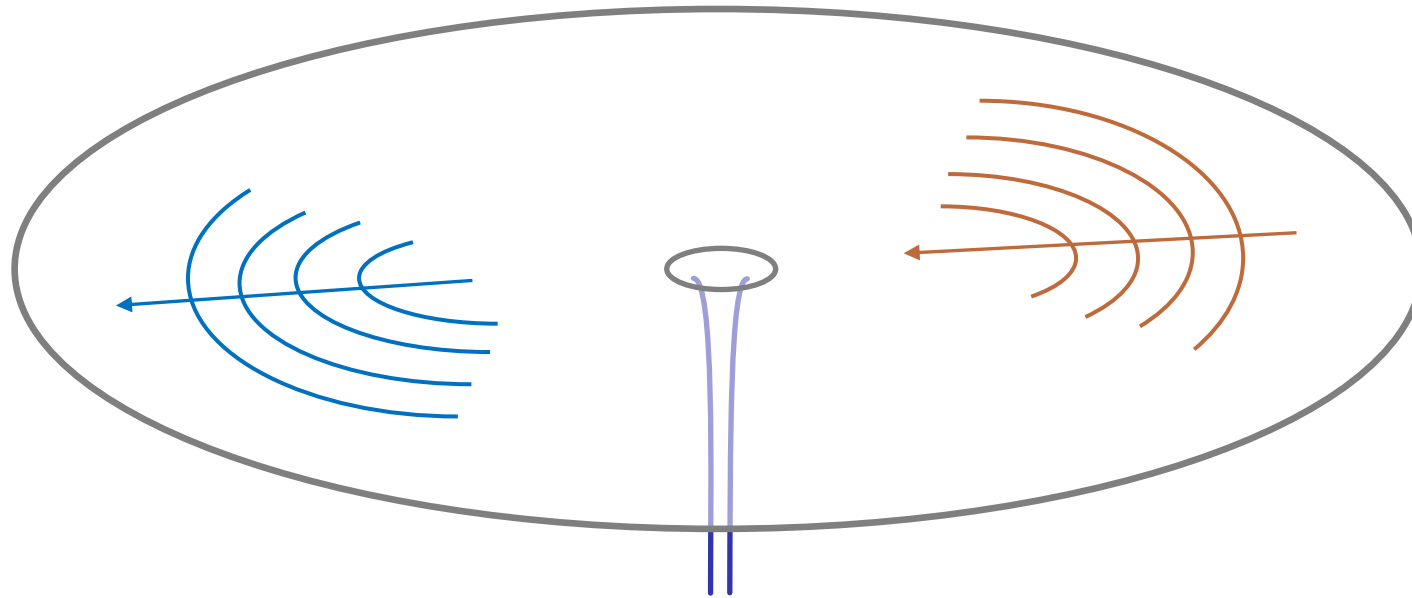
Shining light on the Black Hole

Throwing geodesic photons is not good

1. May destroy the long quantum throat
2. Only probe local geometry of the throat – not strongly fluctuating

Light rays on quantum black hole produce a classical image

Softly probe the mouth of the throat



Low-frequency scalar field scattering

- Dominated by s-wave: probe homogeneous fluctuations
- Small energy absorption: quantum throat preserved

Low-frequency scalar field scattering

- Measure absorption cross section
- Benchmark: universal classical value for $\omega \rightarrow 0$

$$\sigma_{abs} = A_H$$

Unruh
Gibbons+Das+Mathur

Low-frequency scalar field scattering

$$\sigma_{abs} = A_H = 4G \log \rho(E)$$

Absorption cross-section as measure of number of absorbing states

in semiclassical regime

What can we expect?

Quantum fluctuations make $\rho(E) \ll e^{A_H/4G}$

Surely, then, in the quantum regime

$$\sigma_{abs} \ll A_H$$

?

What we find

Quantum fluctuations make $\rho(E) \ll e^{A_H/4G}$

In the quantum regime

$$\sigma_{abs} > A_H > 4G \log \rho(E)$$

Quantum BH looks **larger** the closer to extremality

Why $\sigma_{abs} > A_H$ if fewer BH states?

Quantum effects enhance transitions between individual states

Late-time correlations are enhanced in quantum black hole

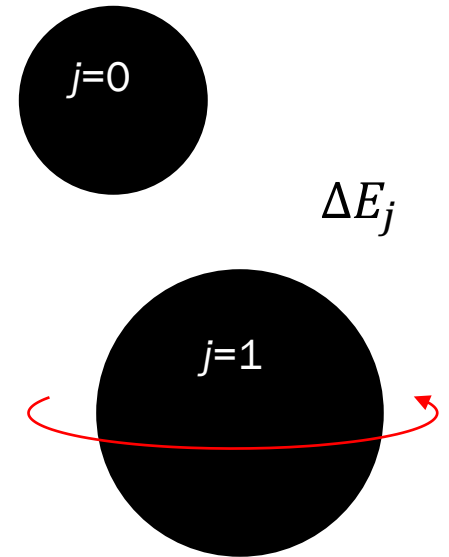
(power-law decay in time, instead of exponential)

What we also find

Near-extremal black holes are **transparent** to
electromagnetic and *gravitational* radiation
below a frequency threshold

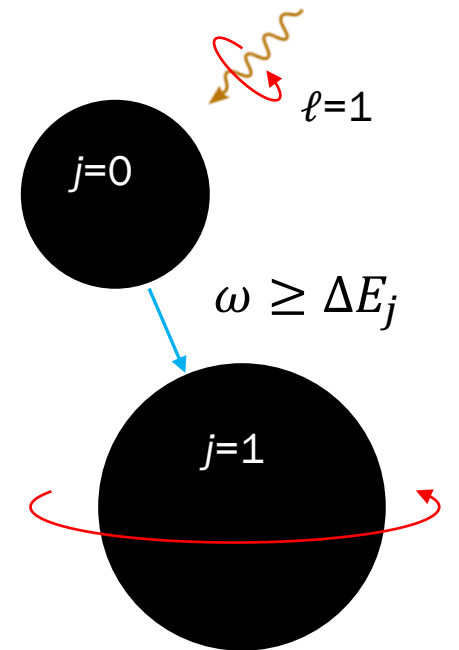
How come *transparent* black holes?

- Black hole angular momentum j is quantized
- Rotational energy creates an energy gap $\Delta E_j = \frac{Gj(j+1)}{2r_h^3}$



How come *transparent* black holes?

- Black hole angular momentum j is quantized
- Rotational energy creates an energy gap $\Delta E_j = \frac{Gj(j+1)}{2r_h^3}$
- Photons & gravitons carry spin: must supply enough energy to bridge this gap – to set the black hole rotating, $\omega \geq \Delta E_j$
- No absorption if frequency below threshold \Rightarrow **Transparency**



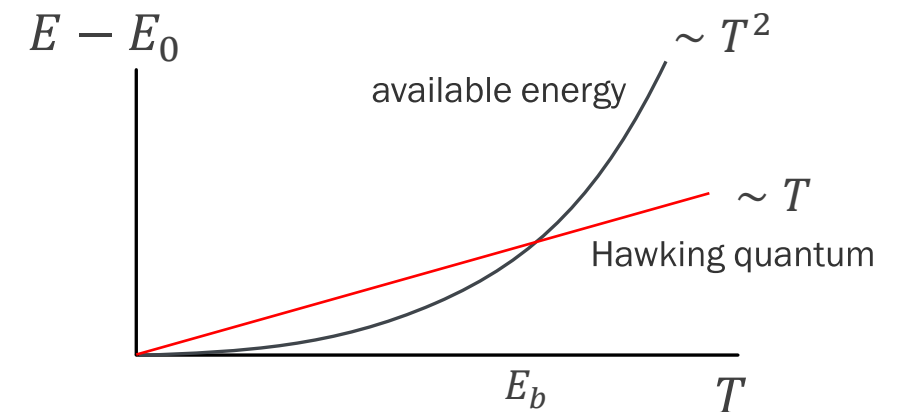
Quantum Deep Throats

HAVE FUZZY MOUTHS

Near extremality

Semiclassical black hole energy (mass)

$$E(T) = E_0 + 2\pi^2 \frac{T^2}{E_b} + O(T)^3$$



$T \lesssim E_b$: too little energy available to emit a single quantum

$$E_b = \frac{\pi}{r_h S_0}$$

\Rightarrow Semiclassical thermodynamics breaks down

Near extremality

QFT in curved spacetime breaks down
even if curvatures are small

Quantum gravity important at low temperatures

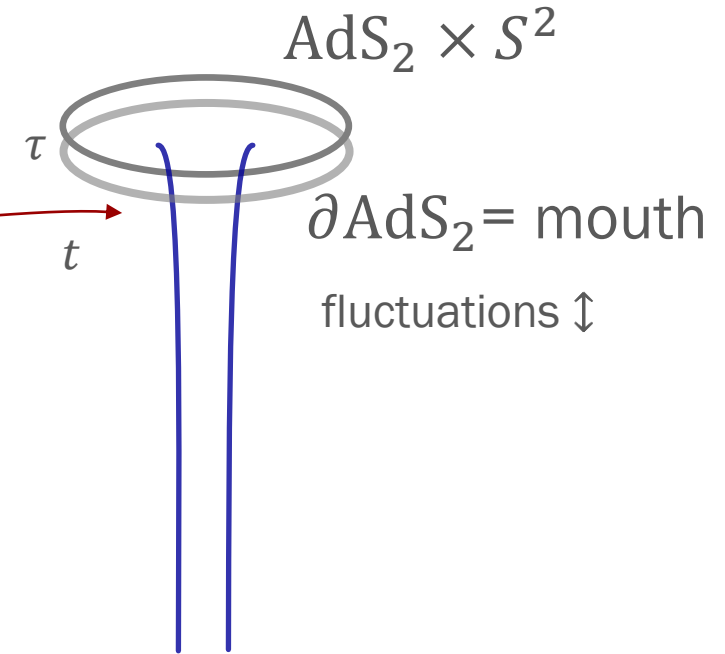
Throat theory

Maldacena+Stanford+Yang
Stanford+Witten
Mertens+Turiaci+Verlinde
Yang,...

Throat KK reduction \rightarrow 1-dim Schwarzian theory at ∂AdS_2

$$I = \underbrace{\beta M_0 - S_0}_{\text{semiclassical extremal}} - \frac{1}{E_b} \int_0^\beta dt \text{Sch}(\tau, t)$$

semiclassical extremal



Schwarzian theory:

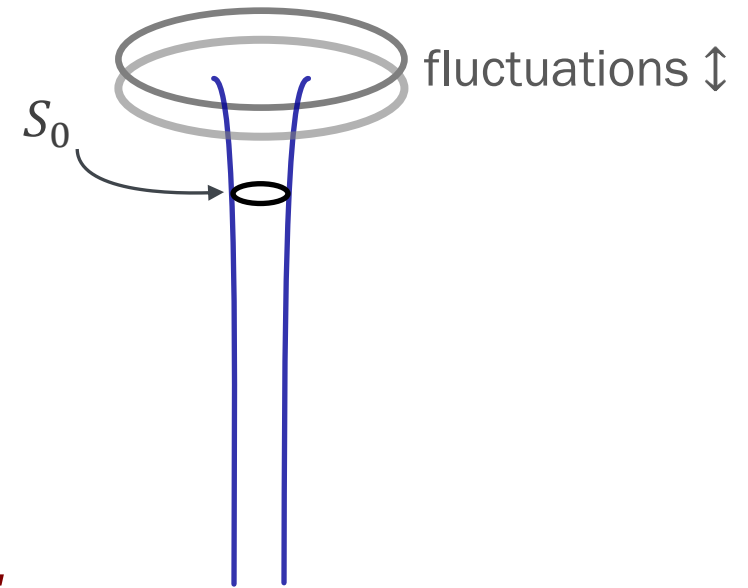
- spherical mode
- fluctuations in height of mouth

Gravitational partition function at small T

$$Z(T) = e^{-I_{\text{bh}}(T)} \times \overset{\text{one-loop det}}{\text{det}(\mathbf{Q})^{-1/2}}$$

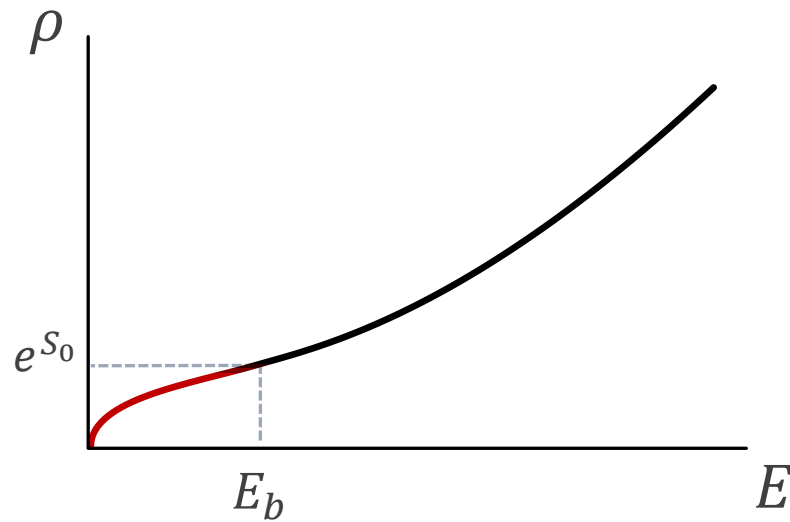
$$= e^{\underbrace{S_0 + 2\pi^2 \frac{T}{E_b}}_{\text{semiclassical Gibbons-Hawking}}} \underbrace{\left(\frac{T}{E_b}\right)^{3/2}}_{\text{quantum fluctuations of throat}}$$

large effect when $T \lesssim E_b$



Density of states near extremality

$$\rho(E) = e^{S_0} \sinh \left(2\pi \sqrt{2E/E_b} \right)$$



$$E_b = \frac{\pi}{r_h S_0}$$

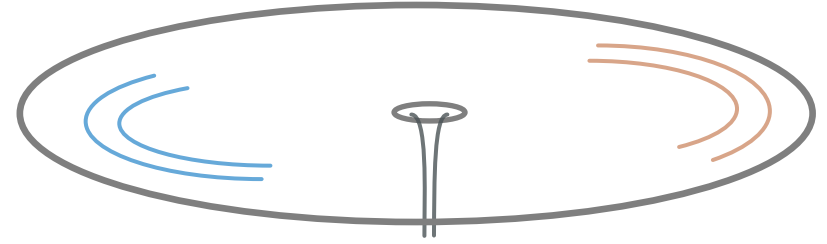
$$E = M - M_0$$

Is the Black Hole Still There When We Look?

SEEN, NOT SEEN

Also: Biggs 2503.0251

Wave scattering



Send a wave into a near-extremal black hole

parametrized by E_b and energy E_i above extremality

$$E_b = \frac{\pi}{r_h S_0}$$

$$M = M_0 + E_i$$

Wave scattering

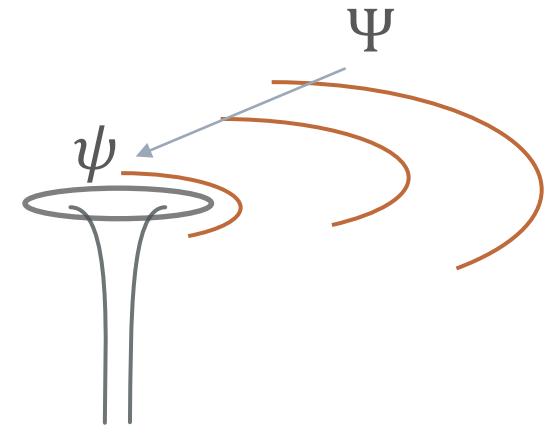
Propagates classically from ∞ to mouth of throat

$$\Psi(t, r) \sim c_{in} e^{-i\omega(t-r)} + c_{out} e^{-i\omega(t+r)}$$

At the mouth: source for the field in AdS_2

$$I = I_{Schwarzian} + \int dt \psi(t) \mathcal{O}_\Delta(t)$$

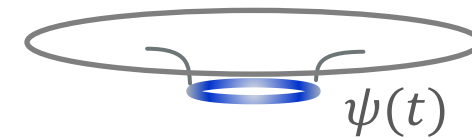
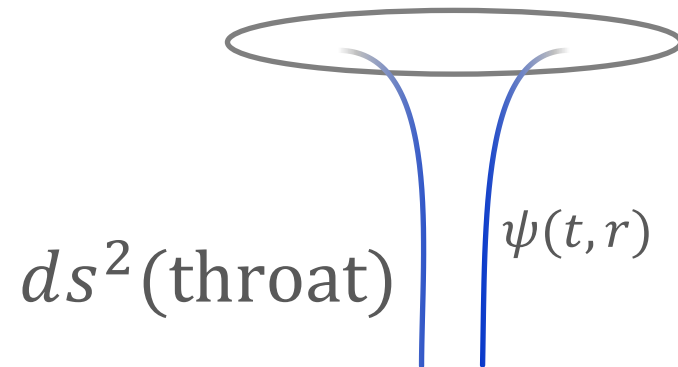
$\mathcal{O}_\Delta(t)$: response operator



Quantum Throat

We replace fields propagating in the **classical throat** with operators coupling to the **quantum Schwarzian theory**

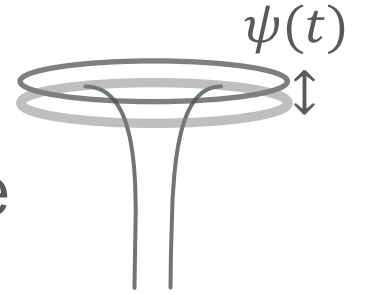
$$I = I_{Schwarzian} + \int dt \psi(t) \mathcal{O}_\Delta(t)$$



$|E\rangle$ state of Schwarzian theory

quantum black hole energy
eigenstate

$\psi(t) = \psi_0 e^{-i\omega t}$: oscillating source excites black hole state



Induces transitions between black hole states:

$|E_i\rangle \rightarrow |E_i + \omega\rangle$: absorption

$|E_i\rangle \rightarrow |E_i - \omega\rangle$: emission (stimulated)

Fermi rule: $\mathcal{T}_{i \rightarrow f} = 2\pi \left| \langle E_f, N_f | \mathcal{O}_\Delta \psi_0 | E_i, N_i \rangle \right|^2 \rho(E_f)$

known from Schwarzian theory

Schwarzian absorption

Schwarzian theory:

density of states

$$\rho(E) = e^{S_0} \sinh(2\pi\sqrt{2E/E_b})$$

2-pt function

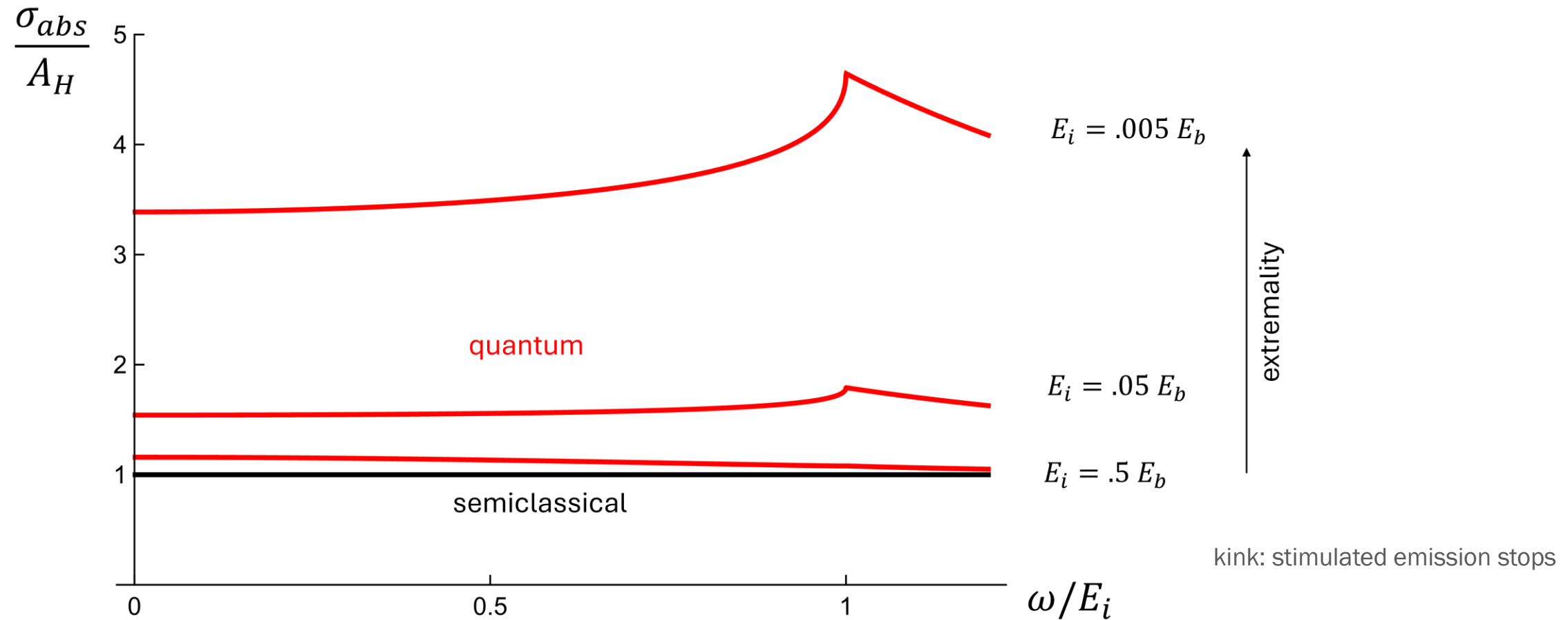
$$|\langle E_f | \mathcal{O} | E_i \rangle|^2 = e^{-S_0} \frac{E_f - E_i}{\cosh(2\pi\sqrt{2E_f/E_b}) - \cosh(2\pi\sqrt{2E_i/E_b})}$$

Near-extremal absorption: s-wave

$$\sigma_{abs} = A_H \left(\frac{\sinh(2\pi\sqrt{2(E_i + \omega)/E_b})}{\cosh(2\pi\sqrt{2(E_i + \omega)/E_b}) - \cosh(2\pi\sqrt{2E_i/E_b})} + (\omega \rightarrow -\omega) \right)$$

Semiclassical black hole limit: $E_i \gg \omega, E_b$ $\sigma_{abs} \rightarrow A_H$

Quantum absorption $\sigma_{abs} > A_H$



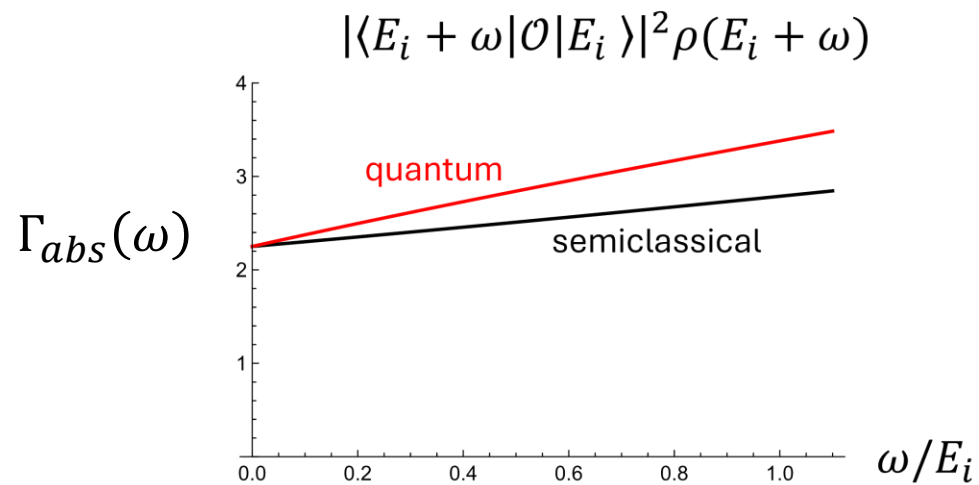
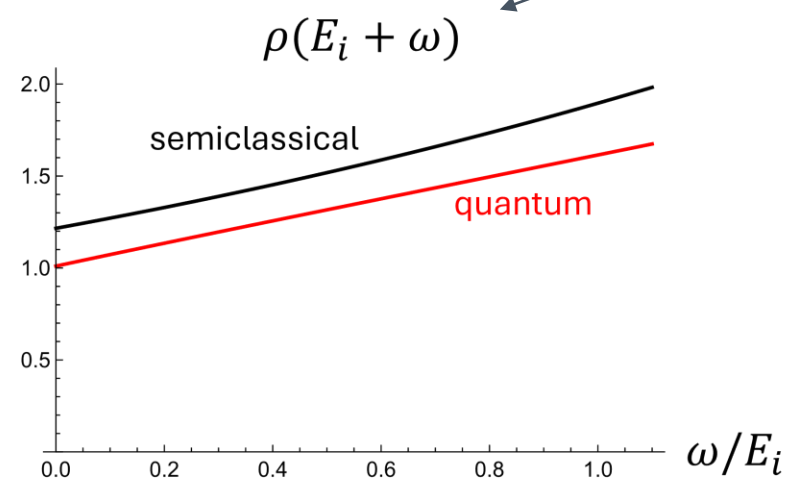
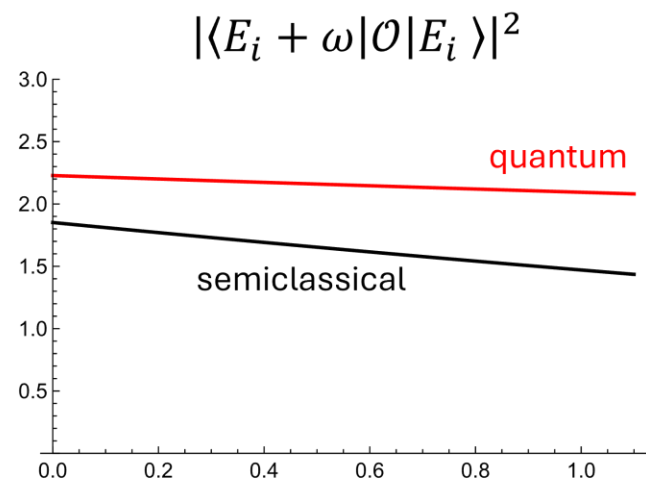
Quantum absorption $\sigma_{abs} > A_H$

$$\text{Since } \rho(E) < e^{A_H/4G} = e^{S_0}$$

$$\sigma_{abs} > 4GS_0 > 4G \log \rho(E_i)$$

Density of states grossly underestimates the absorption near extremality

Enhanced absorption transitions overcompensate for fewer states



Fewer black hole states, but more efficient at absorbing radiation

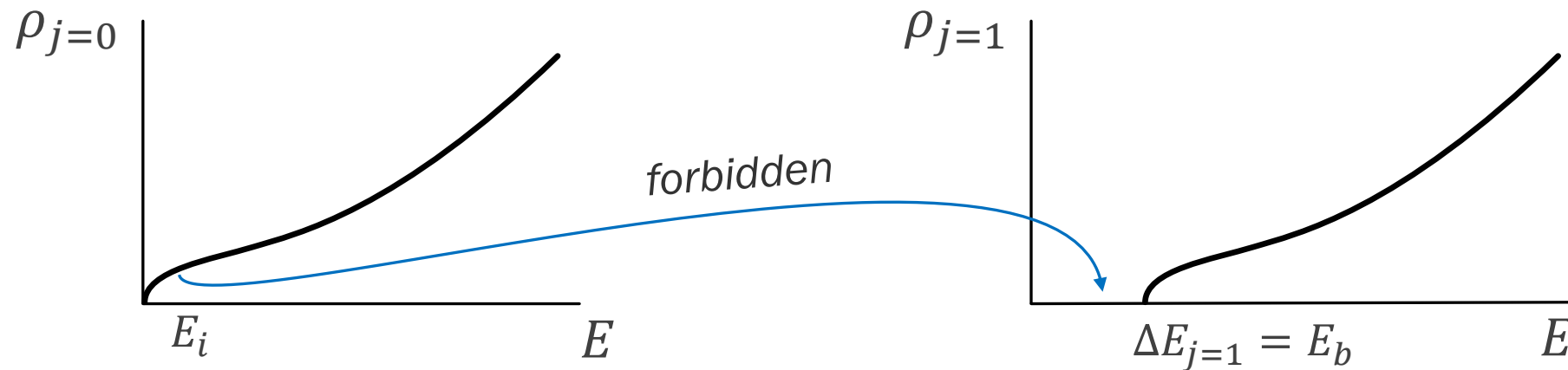
Quantum Black Hole looks **larger**

Quantum Spin Absorption

BLACK HOLE OUT OF SIGHT

Photon & Graviton absorption

Spinless BH \rightarrow Spinning BH: gapped $\Delta E_j = \frac{G j(j+1)}{2r_0^3}$

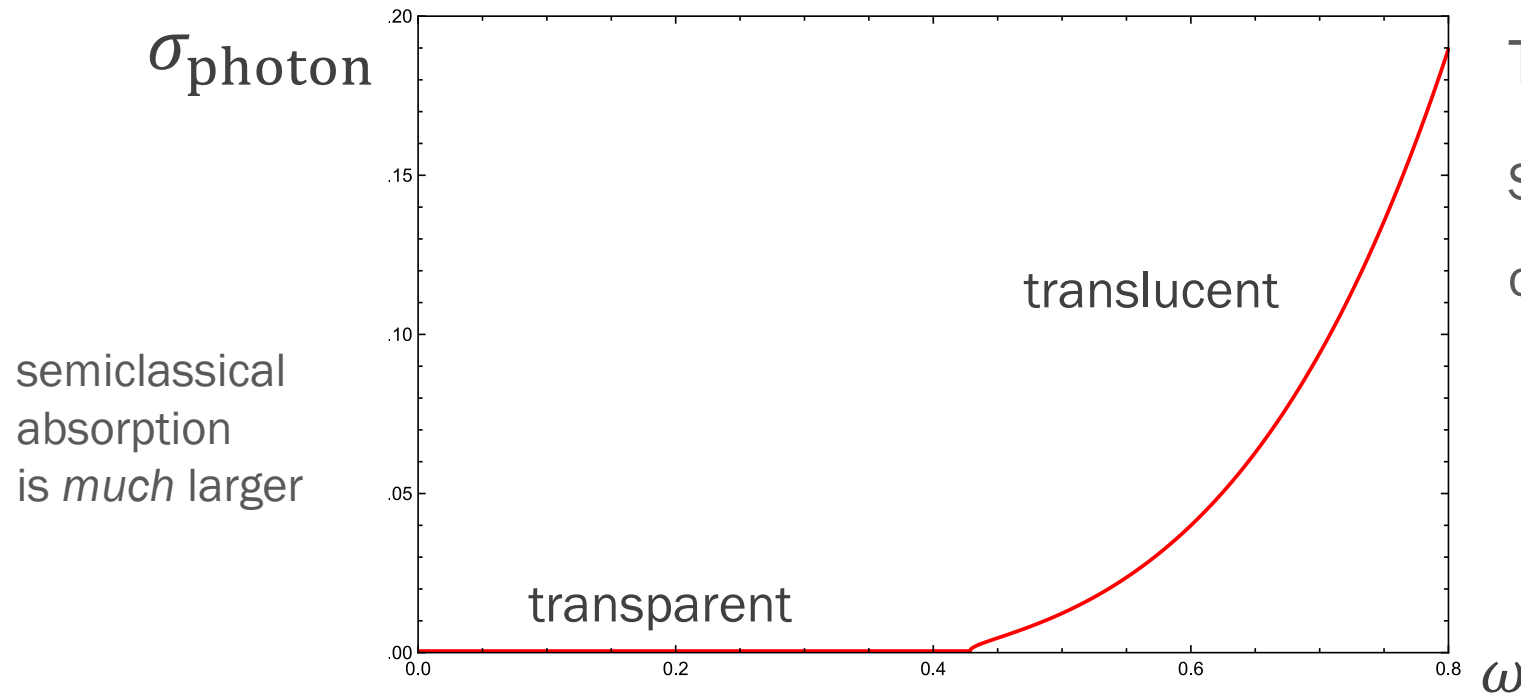


$$\omega + E_i < \Delta E_{j=1}$$

Transparent

w/ Stefano Trezzi

Black Hole Transparency & Translucency



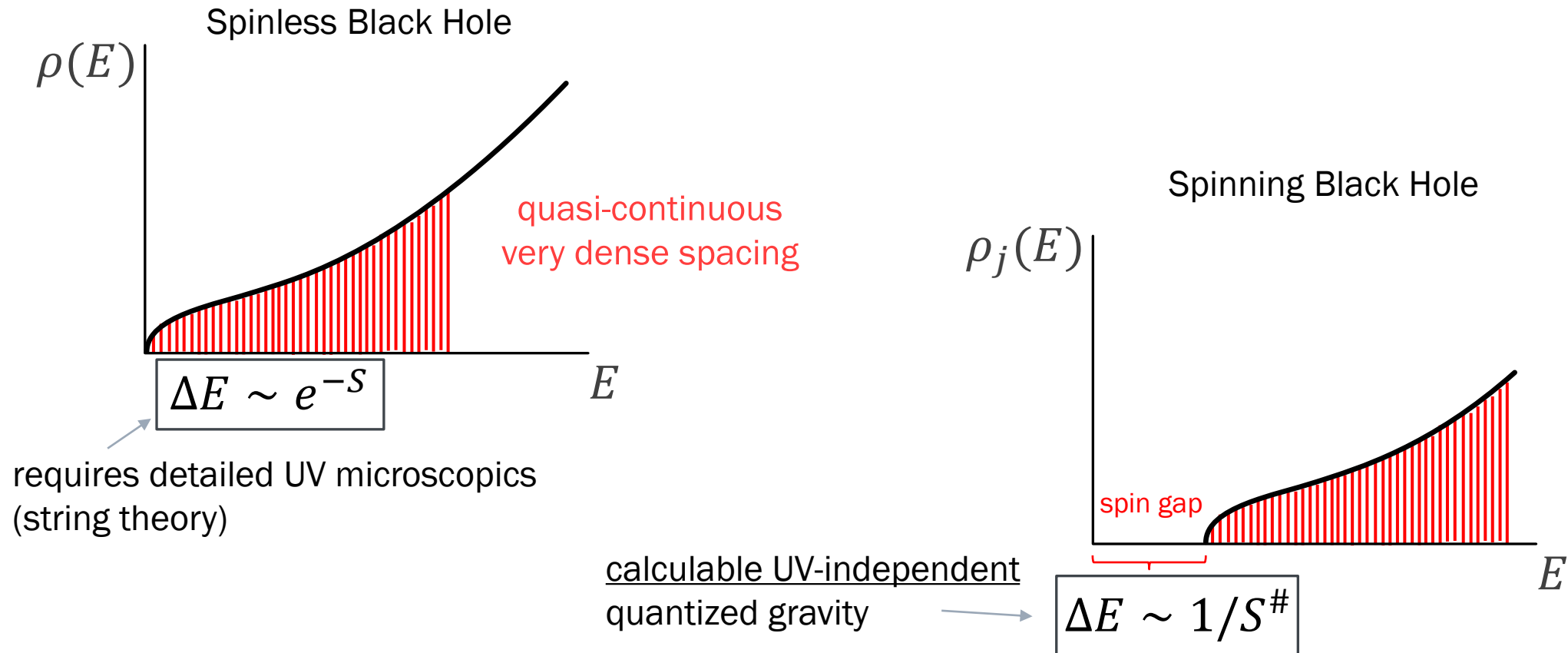
Translucency

Scarcity of spin-absorbing states
outweighs enhanced transition rates
→ suppressed absorption

Black Hole Transparency

The Black Hole is there,
but it casts no shadow

Quantum Black Hole Spectrum



Probing further

- Static probes: tidal deformability & quantum Love In progress
w/ S Trezzi+P Cano+M David
- Decoherence by near-extremal black holes To appear A Biggs+S Trezzi
- Emission/absorption for near-BPS black holes Heydeman+Iliesiu+Turiaci+Zhao
Lin+Iliesiu+Usatyuk

In Closing

Do Black Holes behave like ordinary quantum systems?

Unitarity Paradoxes

Near-Zero-Temperature Paradoxes

In Closing

Extremely cold black holes behave like genuine quantum systems

Near zero temperature: like systems in the lab

- $S \rightarrow 0$ as $T \rightarrow 0$ (without supersymmetry)
- Spectrum, absorption & emission under quantum control

In Closing

Can we observe large quantum fluctuations of the
spacetime geometry?

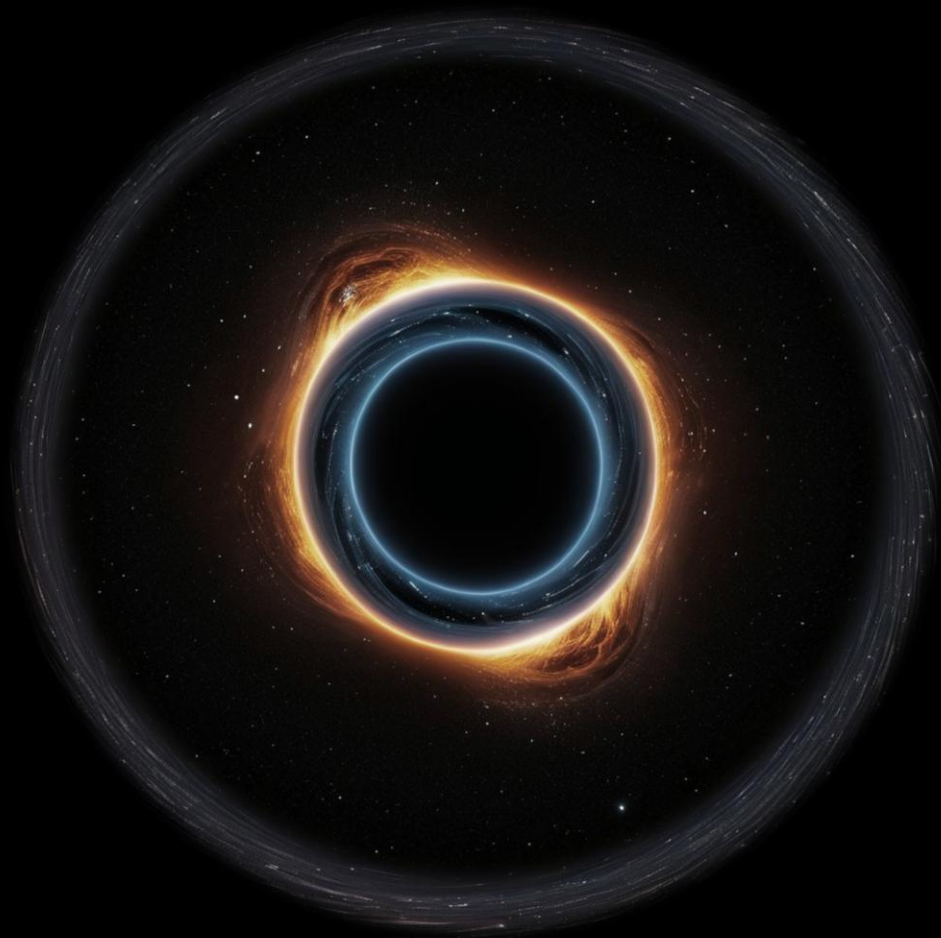
Yes

In Closing

Enhanced cross-section of scalar fields

Transparency to photons and gravitons

are distinct quantum gravity signatures



Thank you

Backup material

Classical formation: collapse

- Collapse of charged matter can be fine-tuned to land on “classical extremal black hole” in finite time

Kehle+Unger



which doesn't exist!

- Correct interpretation: Can form *near-extremal* black hole within a classical timescale

preparation time will be $\sim 1/E_b \propto 1/\hbar$

Absorption & emission rates

$$\Gamma_{abs}(\omega) = \langle N_\omega \rangle \frac{2r_+^2 \omega}{\pi} |\langle E_i + \omega | \mathcal{O} | E_i \rangle|^2 \rho(E_i + \omega)$$

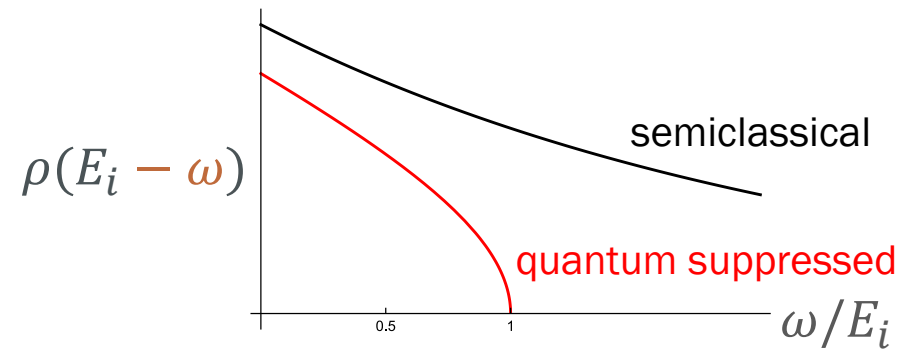
$$\begin{aligned} \Gamma_{emit}(\omega) &= \langle N_\omega \rangle \frac{2r_+^2 \omega}{\pi} |\langle E_i - \omega | \mathcal{O} | E_i \rangle|^2 \rho(E_i - \omega) \\ &= -\Gamma_{abs}(-\omega) \end{aligned}$$

Total absorption rate per mode:

$$\frac{d\langle N \rangle}{dt d\omega} = -(\Gamma_{abs}(\omega) - \Gamma_{emit}(\omega))$$

Stimulated emission is suppressed: many fewer final states

$$\Gamma_{emit}(\omega) \propto |\langle E_i - \omega | \mathcal{O} | E_i \rangle|^2 \rho(E_i - \omega)$$



No throat disruption

- Does absorption become so large as to destroy the quantum throat?

Not if $\langle N_\omega \rangle < S_0^2$

- Then we can comfortably probe the quantum regime

$$\omega, E_i < E_b$$

with $\langle N_\omega \rangle \gg 1$

Quantum η/s ?

- $\left(\frac{\sigma_{abs}}{A_H}\right)_q > 1 \Rightarrow \left(\frac{\eta}{s}\right)_q > \frac{1}{4\pi} ?$

Be careful:

naive hydro regime requires wavelength $\lambda > \frac{1}{T} \Rightarrow$ brane length $L > \frac{1}{T}$

$\Rightarrow L r_h < \ell_p^2$: subPlanckian

- May still compute small quantum corrections

Pando-Zayas+Zhang
Cremonini+Li+Liu+Nian
+ others (Dec 2025)