

Stimulated emission or absorption of gravitons by light

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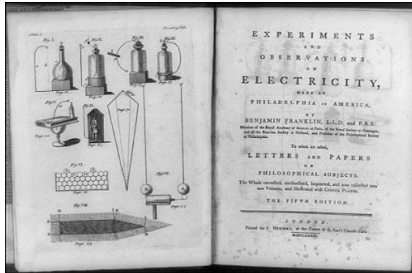
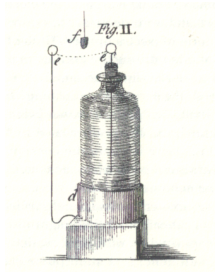
Triest, August 28th 2026

Helmholtz-Zentrum Dresden-Rossendorf (HZDR)



Franklin's Kite Experiment

- unification: lightning $\leftrightarrow$ Leyden jars etc.
- passive observation $\rightarrow$ active manipulation
 - lightning rods
 - power plants
 - etc.

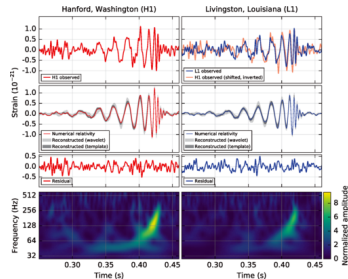
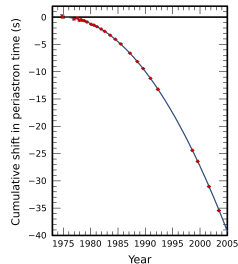
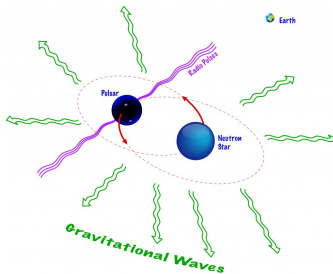


Gravitational Waves

1918 A. Einstein, *Über Gravitationswellen*,
Sitzungsber. Preuss. Akad. Wiss. Berlin 154

1974 Hulse-Taylor binary pulsar: energy loss

2015 direct detection at LIGO



Passive Observation → Active Manipulation?

Hulse-Taylor in the laboratory?

$$P = \frac{G_N}{45c^5} \sum_{ij} \left(\ddot{Q}_{ij} \right)^2 = \mathcal{O} \left(\frac{G_N}{c^5} \omega^6 m^2 L^4 \right)$$

Pre-factor $G_N/(45c^5) \approx 7 \times 10^{-55} \text{ s}^3 \text{ m}^{-3} \text{ kg}^{-1}$

comparison to $\hbar \approx 10^{-34} \text{ Js}$

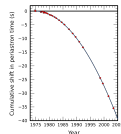
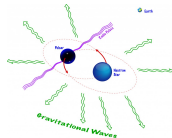
Goal: emit (or absorb) at least one (ideally many) gravitons with $\hbar\omega$ in a verifiable way

Disclaimer: quantization in units of $\hbar\omega$ is assumed, not proven – nor the aim here

- idea I: go for stimulated emission (or absorption)
- idea II: use light – “optical Weber bar”

Alternative: rotating + vibrating barbell

J. Gräfe, F. Adamietz, R. S., Phys. Rev. D **108**, 064056 (2023)



Energy Transfer: Gravitational $\leftrightarrow$ Electromagnetic Waves

Gravitational wave propagating in z -direction (+ polarization, TT gauge)

$$ds^2 = dt^2 - [1 + h]dx^2 - [1 - h]dy^2 - dz^2 + \mathcal{O}(h^2)$$

Electromagnetic field polarized in z -direction $\mathbf{A}(t, \mathbf{r}) = A_z(t, x, y)\mathbf{e}_z$

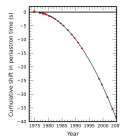
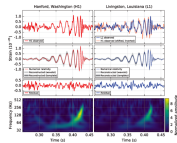
$$\mathcal{L} = \frac{1}{2} [(\partial_t A_z)^2 - [1 - h](\partial_x A_z)^2 - [1 + h](\partial_y A_z)^2] \rightsquigarrow \hat{H}_{\text{int}} = h \int d^3r [(\partial_y \hat{A}_z)^2 - (\partial_x \hat{A}_z)^2]$$

Energy transfer

cf. dispersion relation $\Omega^2 = [1 - h]K_x^2 + [1 + h]K_y^2$

$$\frac{d\langle \hat{H} \rangle}{dt} = \hbar \int d^3r \langle (\partial_y \hat{A}_z)^2 - (\partial_x \hat{A}_z)^2 \rangle$$

- first half-period $\dot{h} > 0$
 - energy loss of photons propagating in x -direction
 - energy gain of photons propagating in y -direction
- second half-period $\dot{h} < 0$ vice versa



→ emission of gravitons
→ absorption of gravitons

Experimental Example Set-up

Gravitational wave

$$h = \mathcal{O}(10^{-22}) \text{ and } \omega = \mathcal{O}(\text{kHz})$$

Electromagnetic wave

$$\Omega = \mathcal{O}(10^{15} \text{ Hz})$$

Frequency shift per photon

$$\Delta\Omega = \mathcal{O}(h\Omega) = \mathcal{O}(10^{-7} \text{ Hz})$$

Delay line with $Q = 10^4$

$$\mathcal{O}(10^4 \text{ km}) \rightarrow \mathcal{O}(0.1 \text{ s}) \text{ or more?}$$

Final phase shift per photon

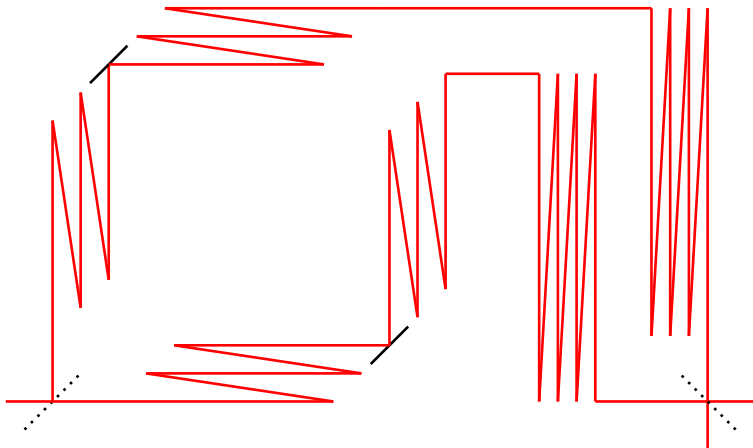
$$\Delta\varphi = \mathcal{O}(10^{-8})$$

Poisson limit

$$N = \mathcal{O}(10^{16}) \text{ photons}$$

→ many gravitons $\hbar\omega$

Average power $\mathcal{O}(\text{W})$

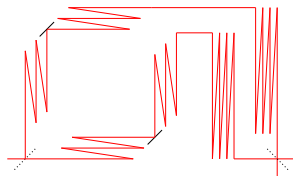


Non-classical Photon States

Squeezed states enhance sensitivity – extreme example: NOON states

$$|\text{NOON}\rangle = \frac{|N\rangle|0\rangle + |0\rangle|N\rangle}{\sqrt{2}} \rightarrow \frac{e^{+iN\Delta\varphi}|N\rangle|0\rangle + e^{-iN\Delta\varphi}|0\rangle|N\rangle}{\sqrt{2}}$$

Heisenberg limit $\Delta\varphi = \mathcal{O}(1/N)$ instead of Poisson limit $\Delta\varphi = \mathcal{O}(1/\sqrt{N})$



Quantum aspects of gravity?

entanglement?

$$\frac{|N\rangle|0\rangle + |0\rangle|N\rangle}{\sqrt{2}} |\bar{E}_{\text{grav}}\rangle \rightarrow \frac{e^{+iN\Delta\varphi}|N\rangle|0\rangle|\bar{E}_{\text{grav}} - \Delta E\rangle + e^{-iN\Delta\varphi}|0\rangle|N\rangle|\bar{E}_{\text{grav}} + \Delta E\rangle}{\sqrt{2}}$$

Coherent state $\rightarrow$ overlap $\langle \bar{E}_{\text{grav}} - \Delta E | \bar{E}_{\text{grav}} + \Delta E \rangle \approx 1 \rightarrow$ full visibility of photonic interference

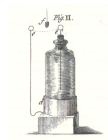
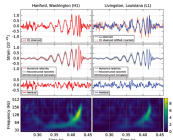
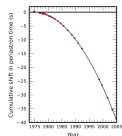
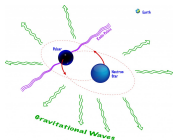
Fock (or thermal) state $\rightarrow$ overlap $\langle \bar{E}_{\text{grav}} - \Delta E | \bar{E}_{\text{grav}} + \Delta E \rangle \ll 1 \rightarrow$ no interference

$\rightarrow$ gravitational decoherence. . .

Summary Phys. Rev. Lett. 135, 171501 (2025)

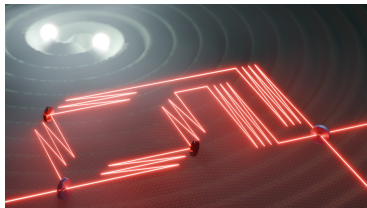
Gravitational waves: passive observation $\rightarrow$ active manipulation

“Hulse-Taylor in the laboratory”



Light in (half) Sagnac interferometer geometry + delay line

“optical Weber bar”



Interaction time versus phase accumulation time!

stimulated emission of many gravitons *hw*

Outlook: non-classical photon states & quantum aspects of gravity (coherent vs Fock state)